Maths Learning Service: Revision

Straight Lines and

Simultaneous Equations

Intro. to Fin. Maths I



The general equation of a straight line is

$$y = mx + k$$

where y is the vertical axis variable,
 x is the horizontal axis variable,
 m is the slope/gradient/"rise over run" of the line and
 k is the y

out what the other has to be. For example, picking x = 0 is an easy choice:

$$\begin{array}{rcl} 2\times 0+y&=&1\\ \Rightarrow&y&=&1. \end{array}$$

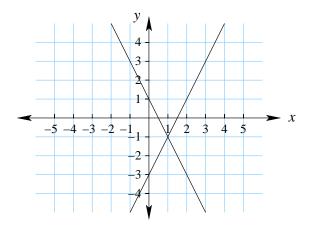
Hence, the point x = 0, y = 1 is on this line (it is in fact the y-intercept). For a second point, try y = 0:

$$2x + 0 = 1$$

 $\Rightarrow x = \frac{1}{2} \alpha \text{(or0(1r32.lmoSISTd(x)f5.FTd(255Tf-26.24-296Tdut)-326)}$

because they represent input values (x and y) that satisfy two sets of conditions (equations) at once.

Using the two lines from the previous section:



we can see that the intersection is at x = 1, y = -1 but this is a tedious and inexact method (especially if the lines don't intersect at whole number co-ordinates, eg. see Exercise (1)(a) and (c)). We need an algebraic method.

The best way is to "line up" the two equations term by term as shown:

$$y = 2x - 3$$
$$2x + y = 1$$

$$\Rightarrow$$
 $-2x + y =$

Subtracting the two equations gives:

Substituting this into, say, 2x + y = 2 gives $2 \times 3 + y = 2$, so y = -4. (The reader may verify that x = 3, y = -